

Monte Carlo Modelling of Hot Particle Coronae

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Goal

- 3D Monte Carlo model of hot particle coronae of terrestrial planets
- Investigation of the evolution of the hot particle corona (in view of the interaction of the early solar wind with planetary atmospheres/coronae)



Neutral Atmosphere

Ions + **Electrons**

CO₂, O, O₂, N₂ ...

 CO_2^{+} , O^+ , O_2^{+} , N_2^{+} , ...

Major Source of Suprathermal Atoms in Upper Atmosphere: Dissociative Recombination of Molecular Ions

Assumption: ions are in ground vibrational level

$$\begin{array}{ll} O_2^+ + e \rightarrow O(^3P) + O(^3P) + 6.96 \ eV & br = 0.22 \\ O_2^+ + e \rightarrow O(^3P) + O(^1D) + 5.00 \ eV & br = 0.42 \\ O_2^+ + e \rightarrow O(^1D) + O(^1D) + 3.02 \ eV & br = 0.31 \\ O_2^+ + e \rightarrow O(^1D) + O(^1S) + 0.80 \ eV & br = 0.05 \\ [Kella \ et \ al., 1997] \end{array}$$

Flux of hot oxygen at the exobase Oxygen exosphere above exobase



Monte Carlo Model



300

250 alfft.sda 🗸 km

200

150

100

Production Rate of Oxygen

A:
$$O_2^+ + e \rightarrow O({}^3P) + O({}^3P) + 6.96 \text{ eV}$$

B: $O_2^+ + e \rightarrow O({}^3P) + O({}^1D) + 5.00 \text{ eV}$
C: $O_2^+ + e \rightarrow O({}^1D) + O({}^1D) + 3.02 \text{ eV}$
D: $O_2^+ + e \rightarrow O({}^1D) + O({}^1S) + 0.80 \text{ eV}$







Collision Probability

$$C_p = 1 - \exp\left(-\int_{z_1}^{z_2} \frac{dz}{l(z)}\right)$$

$$l(z) = \frac{1}{n(z)\,\sigma(E)}$$

n(z): density of background gas $\sigma(z)$: collision cross-section





Collisions

Energy Loss via Collisions

$$\int O_{h'}({}^{3}P) + O_{h''}({}^{3}P, {}^{1}D)$$
 elastic

$$O_{th} + O_{h}(^{3}P, {}^{1}D) \longrightarrow \begin{cases} O_{h'}(^{1}D) + O_{h''}(^{3}P, {}^{1}D) & \text{inelastic} \end{cases}$$

$$O_{h'}(^{3}P) + O_{h''}(^{3}P) + 1.97eV$$
 quenching

$$O_{h'}(^{3}P, ^{1}D, ^{1}S) + CO_{2}$$
 elastic

Simple collision model

$$E_i = R_E \frac{4m_1 \cdot m_2}{(m_1 + m_2)^2} E_{i-1}$$

 R_E : random number representing the collision type and effectiveness of energy transfer between colliding particles.

Angular dependence of the scattering cross sections is ignored



Energy Distribution at Exobase





Exosphere Density



- Energy dependent cross sections
- Different energy distribution of DR products
- Different treatment of collisions
- Effect of secondary atoms
- Smaller stepsize for determination of C_p

$$C_p = 1 - \exp\left(-\int_{z_1}^{z_2} \frac{dz}{l(z)}\right)$$

Effect of 3D modelling





Number of Collisions





Fig. 2: Number of collisions depending on the simulation as a function of the start altitude of the traced particles. The insert shows the observed and modelled Venus thermosphere temperatures for low, moderate and high solar activity conditions.

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Fig. 3: Calculated hot oxygen density distribution. The (+) shows data points inferred from PVO OUVS airglow observations (Nagy et al., 1981), while the (*) correspond to PVO OUVS observations shown by Nagy et al. (1988). One should note that the figure shows only the hot O atom density. By adding the cold background component the total (cold + hot) O number densities below 400 km would be higher.

Improvements

- Implementation of correct cross-section for O-CO₂ collisions
- Consideration of angular dependence of the scattering cross sections (determines the rate of momentum transfer between hot particles and cool background gas; elastic scattering of suprathermal O atoms with energies < 5 eV is characterized by a distribution in small scattering angles [Kharchenko et al., 2000])
- Inclusion of quenching collisions (large amount of atomic O in metastable states)



GWF 3D-Exosphere at Venus



Fig. 5: Day and night exosphere oxygen density distribution of the 3D Monte Carlo simulation for high solar activity from 210 km up to 2000 km.

