## Coronal expansion and solar wind

- The solar corona over the solar cycle
- Coronal and interplanetary temperatures
- Coronal expansion and solar wind acceleration
- Origin of solar wind in magnetic network
- Multi-fluid modelling of the solar wind
- The heliosphere





































Solar wind models I Assume heat flux,  $Q_e = -\rho \kappa \nabla T_e$ , is free of divergence and thermal equilibrium:  $T = T_p = T_e$ . Heat conduction:  $\kappa = \kappa_0 T^{5/2}$  and  $\kappa_o = 8 \ 10^8$ erg/(cm s K); with  $T(\infty) = 0$  and  $T(0) = 10^6$ K and for spherical symmetry:  $4\pi r^2 \kappa(T) dT/dr = \text{const} \quad --> \quad T = T_0 (R/r)^{2/7}$ Density:  $\rho = n_p m_p + n_e m_e$ , quasi-neutrality:  $n = n_p = n_e$ , thermal pressure:  $\rho = n_p k_B T_p + n_e k_B T_e$ , then with hydrostatic equilibrium and  $p(0) = p_0$ :  $dp/dr = -GMm_p n/r^2$   $p = p_0 \exp[(7GMm_p)/(5k_B T_0 R) ((R/r)^{5/7} - 1)]$ Problem:  $p(\infty) > 0$ , therefore corona must expand!

## Solar wind models II

Density:  $\rho = n_p m_p + n_e m_e$ , quasi-neutrality:  $n = n_p = n_e$ , ideal-gas thermal pressure:  $p = n_p k_B T_p + n_e k_B T_e$ , thermal equilibrium:  $T = T_p = T_e$ , then with hydrodynamic equilibrium:

 $mn_p V dV/dr = - dp/dr - GMm_p n/r^2$ 

Mass continuity equation:

$$mn_{n}V r^{2} = J$$

Assume an isothermal corona, with sound speed  $c_0 = (k_B T_0/m_p)^{1/2}$ , then one has to integrate the DE:

$$[(V/c_0)^2 - 1] dV/V = 2 (1-r_c/r) dr/r$$

With the critical radius,  $r_c = GMm_p/(2k_BT_0) = (V_{\infty}/2c_0)^2$ , and the escape speed,  $V_{\infty} = 618$  km/s, from the Sun's surface.

Parker, 1958



## On the source regions of the fast solar wind in coronal holes

Image: EIT Corona in Fe XII 195 Å at 1.5 M K



Ne VIII 770 Å at 630 000 K

Insert: SUMER

Chromospheric network Doppler shifts Red: down Blue: up

Outflow at lanes and junctions

Hassler et al., Science 283, 811-813, 1999

























