



Massloading

1d hybrid code simulations

Injection of ions

Super/sub alfvénic flows

perpendicular/quasiparallel magnetic fields

Weak/strong injection

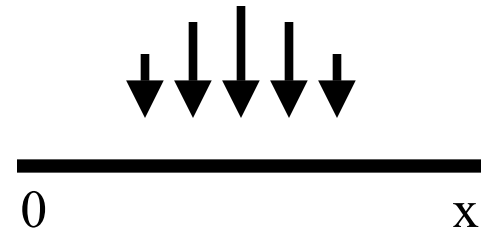


Simulation box

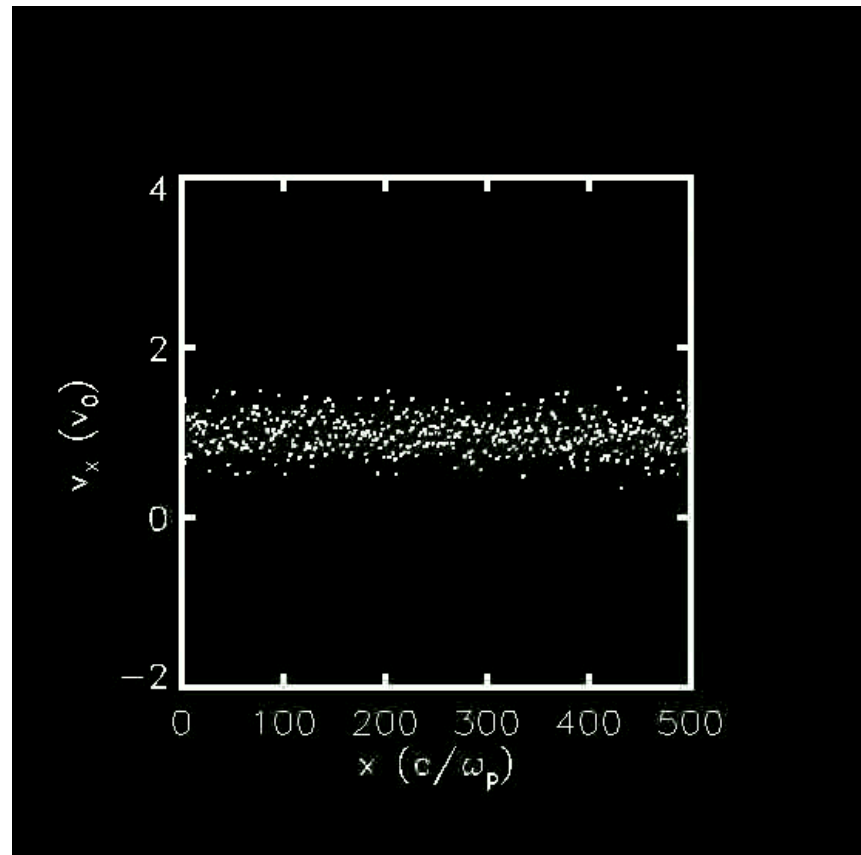
(a)
Local injection
of test particles



(b)
Distributed injection
of massive particles



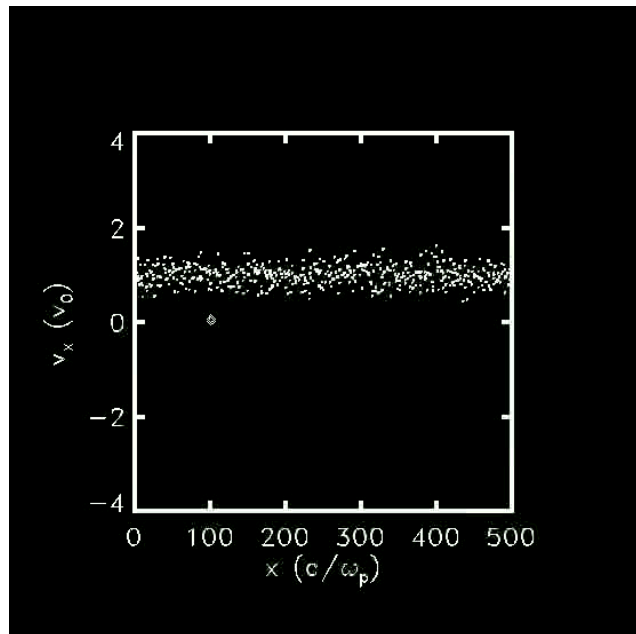
Flow without pickup



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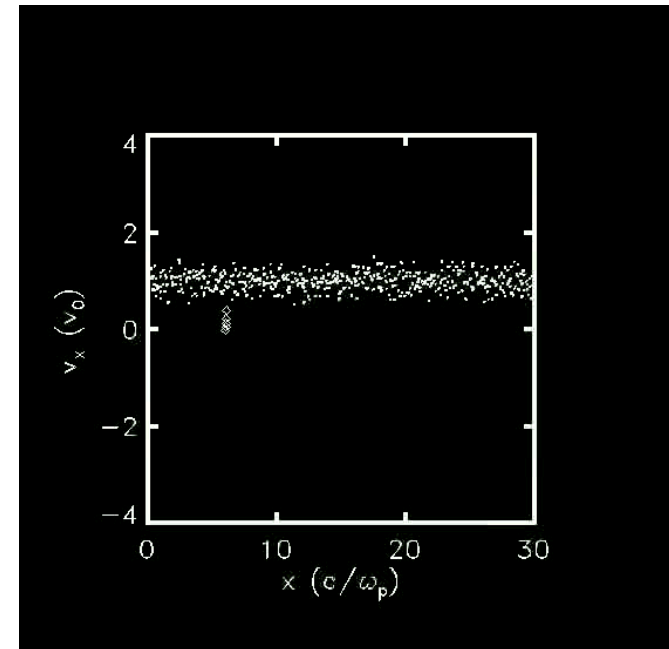
Injection of test particles

? = 90°, super_alfvenic



$M_A = 16$
 $r_g = 16$
? = 2 p $r_g \approx 100$

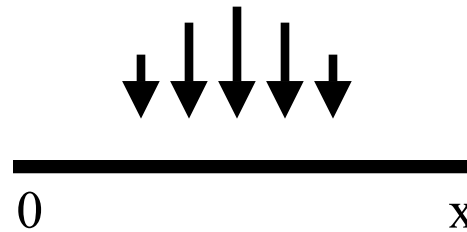
? = 90°, sub_alfvenic



$M_A = 0.5$
 $r_g = 0.5$
? = 2 p $r_g \approx 3$

Injection of massive particles

-no injection point but gaussian shaped injection region

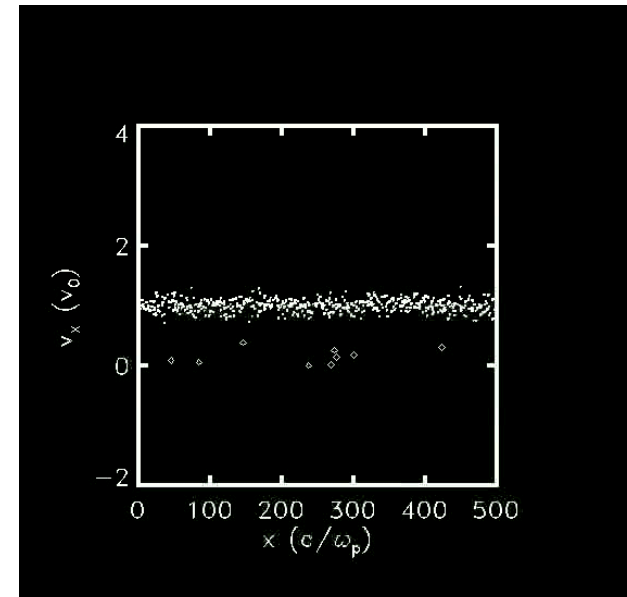
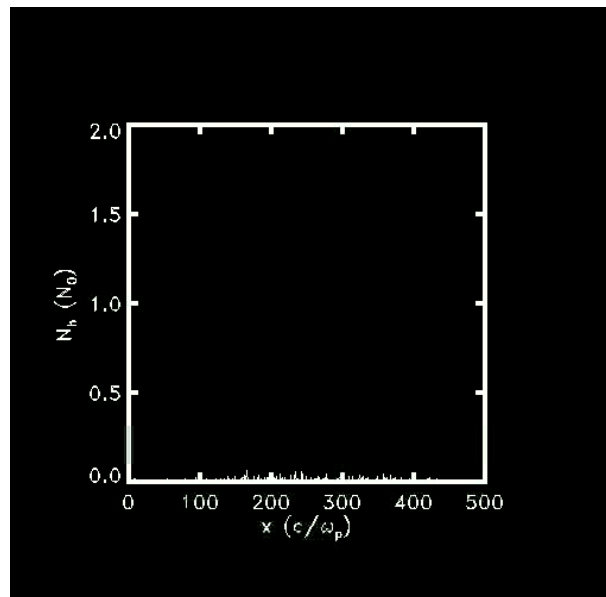


-thermal velocity $<$ background flow velocity

-weak but finite injection rate (no strong obstacle, no shock)

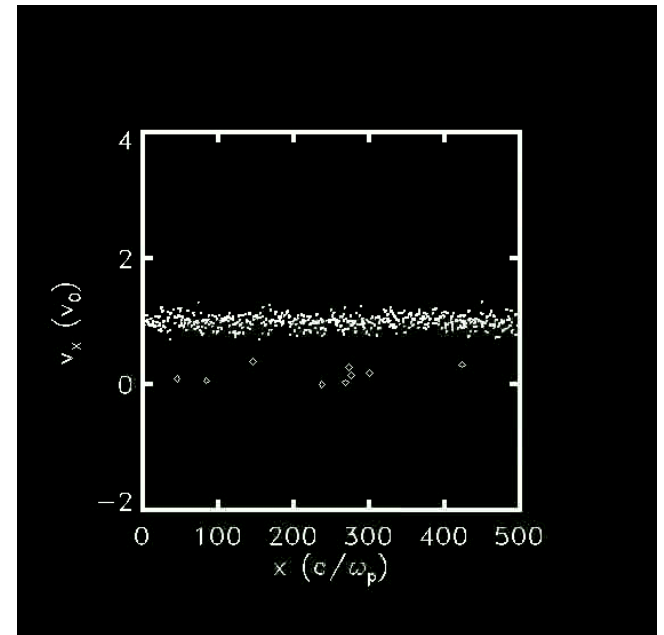
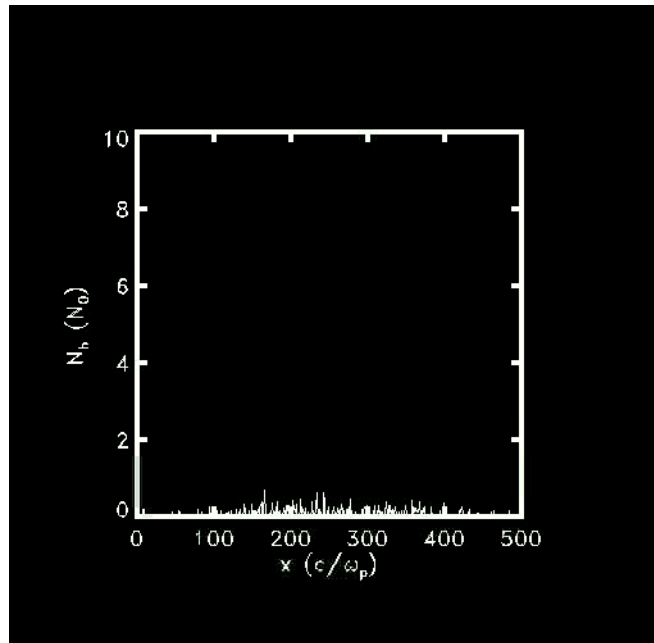
Superalfvenic, perpendicular

? = 90°



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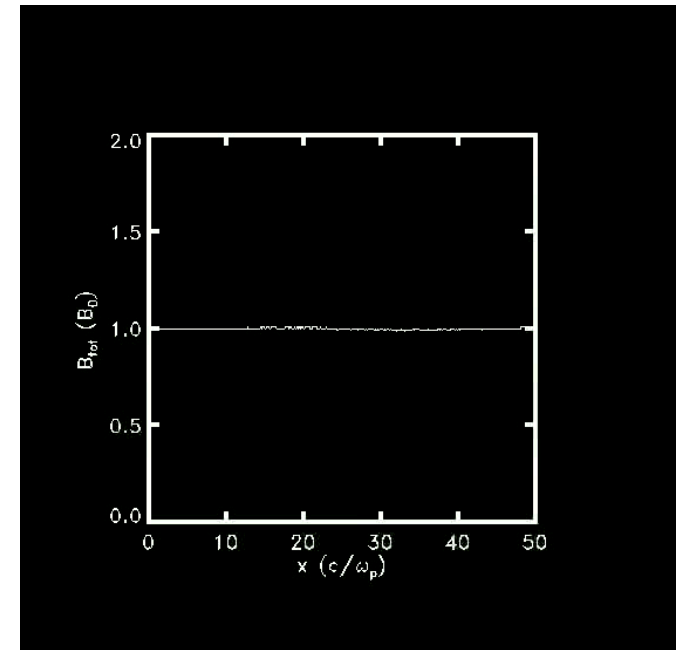
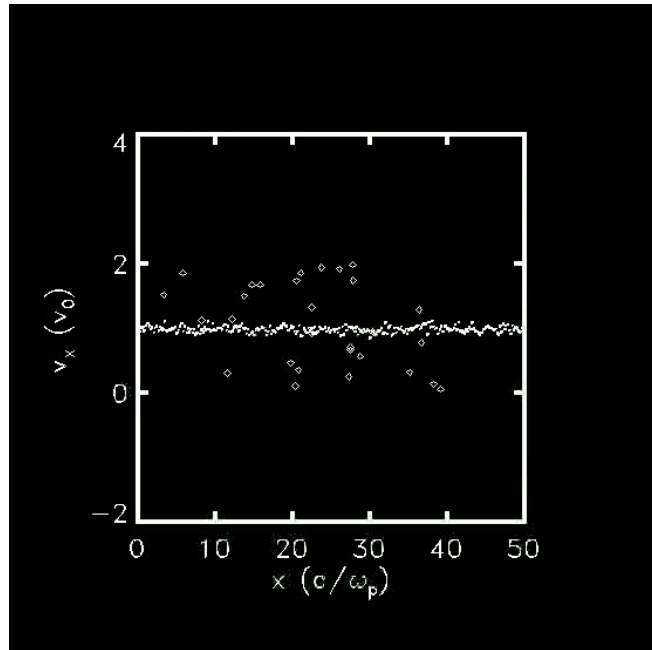
Superalfvenic+strong injection=shock



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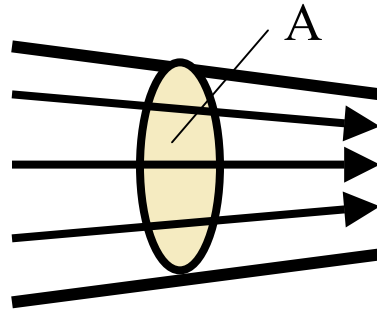
Subalfvenic, perpendicular

$$\theta = 90^\circ$$



Equivalence of massloading and nozzle

Nozzle



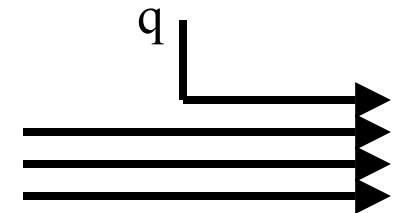
$$\rho u A = \text{const}$$

$$\rho u d_x u = -d_x p$$

$$p = c_s^2 \rho$$

increasing mass
flow density

Massloading



$$d_x(\rho u) = q > 0$$

$$\rho u d_x u = -d_x p - d_x B^2/2\mu_0$$

$$p = c_s^2 \rho$$

$$B^2 = v_A^2 \mu_0 \rho$$