## Small bodies of the solar system Lecture by Klaus Jockers, Göttingen, winter term 2004/2005

Comets2

Comet-solar wind interaction: a phenomenological view

# Motion of cometary plasma tails in the solar wind

Plasma tails are formed by cometary ions dragged away from the comet by the solar wind.

Comet tails can be very long, up to 1 AU!



Observations of the CO+ tail of comet Humason 1962 VIII (courtesy EH Geyer, Bonn). Note plasma tail direction changes, tail kinks and clouds. We look at the comet with a small phase angle which exaggerates lateral displacements.



The most trivial effect is a tail direction change caused by a solar wind direction change. A: "old" tail, unaffected by change. B: intermediate tail segment,

emitted before the change and now affected by the change.

C: "new" tail, unaffected by the change. Along section B the solar wind flows across the tail and a

Rayleigh-Taylor type instability developes.

For this and the following slides see: Jockers K., Astron. Astrophys. Suppl. Ser. 62, 791-838. Jockers K. in Johnstone ed. Cometary Plasma Processes, 139-152.



Fig. 8. Pair of kinks and associated Rayleigh-Taylor instability in a cometary tail (see text), caused by a solar wind direction change.













Clouds in the tail of comet Humason. Some may call this a tail disconnection event. Clouds are frequently associated with tail ray phenomena, but I doubt that the reason for this is reconnection as was put forward in the literature. Note that the tail rays in these two images, in particular in the left one, are symmetric, in contrast to the one-sided rays we have seen before. The symmetric rays may be inclined with respect to the projection plane. To an observer located in the projection plane the rays may look as one-sided.

Tail disconnection events cause by solar wind compression and direction change or by magnetic field reversal?







Eddington (1910, MNRAS 70, 442)



Magnetohydrodynamic equations of comet-solar wir interaction Wegmann R., Astron. Astroph 294, 601-614, 1995.

$$\begin{aligned} \frac{\partial \rho}{\partial t} + \operatorname{div} \rho u &= \dot{\rho}, & \text{Mass source (the only source that} \\ \text{needs to be considered)} \end{aligned}$$

$$\begin{aligned} \frac{\partial n}{\partial t} + \operatorname{div} n u &= \dot{n}, & \text{Number density source} \\ \frac{\partial \rho u}{\partial t} + \operatorname{div} \rho u \cdot u + \operatorname{grad} p - \frac{1}{4\pi} (\operatorname{curl} B) \times B &= \dot{q}, \\ \frac{\partial}{\partial t} \left( \frac{\rho u^2}{2} + \frac{p}{\gamma - 1} + \frac{B^2}{8\pi} \right) + \operatorname{div} \left( \frac{\rho u^2}{2} + \frac{\gamma p}{\gamma - 1} + \frac{B^2}{4\pi} \right) u \\ &- \frac{1}{4\pi} \operatorname{div} (u, B) B &= \dot{e}, \\ \frac{\partial B}{\partial t} - \operatorname{curl} (u \times B) &= 0. & N_n = \frac{G}{4\pi w R^2} \exp\left(-\frac{\sigma R}{w}\right). \\ \dot{n} &= \sigma N_n, \quad \dot{\rho} &= \sigma N_n m_C + \sigma_{ce} N_n (m_C - m_I), \\ \dot{q} &= -\sigma_{ce} N_n m_I u, \quad \dot{e} &= -\sigma_{ce} N_n \left( \frac{m_I u^2}{2} + \frac{p}{(\gamma - 1)n} \right) \end{aligned}$$



#### Table 1

### Spacecraft Encounters with Comets

Giacobini-Zinner

ICE

time of closest encounter helioc. distance geoc. distance ICE closest approach magnetotail diameter current sheet diameter

 $\begin{array}{cccc} 1985{-}09{-}11 & 11{:}02 \ {\rm UT} \\ 1.03 \ {\rm au} & & \\ 0.47 \ {\rm au} & & \\ 7800 \ {\rm km} & & \\ 8600 \ {\rm km} & & \\ \sim 2000 \ {\rm km} & & \\ \end{array}$ 

K. Jockers, in ACM III, Lagerkvist et al. eds., p. 353-361

## Spacecraft encounters with comets, continued

Halley	Vega 1	Vega 2	Giotto
date of closest encounter time of closest encounter heliocentric distance (au) geocentric distance (au) closest approach km diameter magnetic cavity diameter cometopause shock wave stand-off distance	1986-03-06 7:20 UT 0.79 1.15 8890 9000 km $3 \times 10^5$ km $10^6$ km	1986-0309 7:20 UT 0.83 1.08 8030	1986-03-14 0:03 UT 0.90 0.96 605 sunward

Production rate of comet Halley  $\approx 10^{30}$  water molecules s<sup>-1</sup>.





In the previous slide we have seen what happens if a tangential discontinuity with a magnetic field direction change passes through a comet. The plane of the beaver tail must turn around, in this case by 90°. Two different magnetic layers are put on top of each other and, if there are more such discontinuities, the tail gets an onion skin structure. One theory put forward by HU Schmidt and Wegmann (in LL Wilkening ed., Comets, pp. 538-560, Tucson 1983, R. Wegmann, ASTRON ASTROPHYS 358 (2): 759-775, 2000) tries to explain tail rays that way.

As the cometary plasma is created by ionization of the neutral cloud (gas coma) surrounding the nucleus it is of interest to observe the cometary plasma close to the nucleus. This can be done with Fabry-Perots working as tunable filters with a bandwidth of several Å only. The following slides present such work (Bonev and Jockers,  $H_2O^+$  ions in the inner plasma tail of Comet Austin 1990 V, Icarus 107, 335-357, 1994, Bonev's ph. d. thesis). In the following images the dust continuum and coma emissions are suppressed. We first present some data which show how the tail rays grow from a plasma coma and then present the one-dimensional mass balance (integrated in planes perpendicular to the tail axis).













 $\nabla \cdot (n\mathbf{v}) = \mathbf{A}, \quad \text{lon source} \quad (8)$   $\sigma_i \text{ is the ionization cross-section and } \sigma_d \text{ the destruction cross-section of the neutrals.} \quad A = \sigma_i N_n = \frac{\sigma_i G}{4\pi v_e R^2} \exp\left(-\frac{\sigma_d R}{v_e}\right). \quad (9)$ From (8)

From (8) With Gauss theorem:

$$\iint_{OV} n(x, y, z) \mathbf{v}(x, y, z) d\mathbf{S} = \iiint A dV, \quad (10)$$

Use the box:

$$\int_{-\infty}^{\infty} dy \int_{-\infty}^{\infty} dz \, n(x', y, z) \, v_x(x', y, z) = \int_{-\infty}^{x'} dx \int_{-\infty}^{\infty} dy \int_{-\infty}^{\infty} dz \, A. \quad (11)$$

Define average speed:

$$\overline{v}_{x}(x') = \frac{\int_{-\infty}^{\infty} dy \int_{-\infty}^{\infty} dz \, n(x', \, y, \, z) \, v_{x}(x', \, y, \, z)}{\int_{-\infty}^{\infty} dy \int_{-\infty}^{\infty} dz \, n(x', \, y, \, z)}, \quad (12)$$

From (11):  

$$\bar{v}_{x}(x') \int_{-\infty}^{\infty} dy \int_{-\infty}^{\infty} dz \, n(x', y, z) = \int_{-\infty}^{x'} dx \int_{-\infty}^{\infty} dy \int_{-\infty}^{\infty} dz \, A.$$
(13)  
Ions per tail length:  

$$\int_{-\infty}^{\infty} dy \int_{-\infty}^{\infty} dz \, n(x', y, z) = \int_{-\infty}^{\infty} dy \, N(x', y).$$
(14)  
The integral can be solved with special functions:  

$$\int_{-\infty}^{x'} dx \int_{-\infty}^{\infty} dy \int_{-\infty}^{\infty} dz \, A$$
Ei is the exponential integral function.  

$$= \frac{\sigma_{i}G}{2v_{e}\beta} \begin{cases} \exp(\beta x') - \beta x' \operatorname{Ei}(\beta x') & x' \leq 0\\ 2 - \exp(-\beta x') + \beta x' \operatorname{Ei}(-\beta x') & x' > 0. \end{cases}$$
Finally,  $x' \to \infty$  for the total source rate:  

$$\int_{-\infty}^{\infty} dx \int_{-\infty}^{\infty} dy \int_{-\infty}^{\infty} dz \, A = \frac{\sigma_{i}G}{\sigma_{d}}.$$
(16)



Top: Mean number of water ions per tail length and standard deviation (error bars).

Middle: Fraction of the H2O+ source which has already been ionized at a given distance (abscissa) from the nucleus (eq. (15)).

Bottom: Mean velocity calculated from the observed number of ions per tail length and the source integral. Long dash: Theoretical curve. Full line: Curve fitted to velocity measurement. Short dash: Water production rate from Schultz et al. (Icarus 104, 185-196, 1993).

