Solar corona and solar wind

- 1. The Sun's atmosphere and magnetic field
- 2. Coronal heating and energetics
- 3. Coronal expansion and solar wind
- 4. The heliosphere, structure and dynamics
- 5. The microstate of the solar wind
- 6. Waves, structures and turbulences
- 7. Solar energetic particles and cosmic rays

The Sun's atmosphere and magnetic field

- The Sun's corona and magnetic field
- EUV radiation of the corona
- The magnetic network
- Doppler spectroscopy in EUV
- Small-scale dynamics and turbulence
- Temperature profiles in the corona



Some historical dates I 1000 (BC) China: Correlations betwenn sunspots and aurora; geomagnetism is known and the magnetic needle 500 (BC) Greece: Magnetism 350 (BC) Theophrastus observes sunspots with naked eye 1200 England: compass, Neekam -> navigation 1600 W. Gilbert in England: "de magnete" 1850 F. Gauß in Germany: Earth magnetic field, mathematical analysis (multipole expansion) and measurements (10⁻⁵ precision); currents inside earth (dynamo) and in the atmosphere 1814 Fraunhofer discovers hundreds of solar lines (prism) 1843 Schwabe: Sunspot activity cycle (11 years) 1860 Loomis: auroral oval (≈ 20° - 25°) 1908 Hale: sunspots have strong magnetic fields

Some historical dates II

1920 Existence of Earth ionosphere from radio waves (whistlers)
 1930 "Clouds" of particles and magnetic fields from solar flares

- (broadband flashes of light) on the Sun
- 1940 Edlén and Grotrian, coronal emission from highly ionised elements, temperature T > 1 MK
- 1958 Explorer 1, Earth radiation belts (van Allen)
- 1958 E. Parker: Solar wind as supersonic plasma flow
- 1950 Leighton: 5-minute oscillations in photosphere
- 1962 Mariner 2, Solar wind (in-situ) measurements
- **1962/4** Explorer 12/OGO, Bow shock wave in front of the Earth magnetosphere

 \bullet **1996** SOHO, comprehensive solar observations from space (near libration point at about 1Mkm)



















Elementary radiation theory I Solution Solution $\mu_{g}(\chi^{+m}) = \mu_{g} - \mu_{g} A_{g,g}$ $\mu_{g,g}[\pi^{n}s^{-1}]$ collisional excitation rate $\Lambda_{g,g}[s^{n}s^{-1}]$ collisional excitation rate $\Lambda_{g,g}[s^{n}s^{-1}]$ collisional excitation rate $\Lambda_{g,g}[s^{n}]$ collisional excitation rate $\Lambda_{g,g}[s^{n}]$ collisional excitation rate $\mu_{g,g}[s^{n}]$ collisional excitation rate $\Lambda_{g,g}[s^{n}] = \Lambda_{g,g} A_{g,g} A_{g,g}$ [erg cm³ s⁻¹] $\Lambda_{g,g}[s^{n}] = \mu_{g,g}$ photon energy $\Lambda_{g}(\chi^{+m})$ muther density of ground state of ion χ^{+m}

































High-resolution Imaging and spectroscopy (35 km pixels) of the corona Imaging and spectroscopy Modelling by extrapolation: Imaging and spectroscopy Loops (magnetic carpet) Imaging and spectroscopy Open coronal funnels Imaging and spectroscopy Closed network Imaging and spectroscopy







Doppler spectroscopy
Line shift by Doppler effect (bulk motion)
$\mathbf{v}_i = \mathbf{c}(\lambda\text{-}\lambda_0)/\lambda_0 = \mathbf{c} \Delta \lambda_D/\lambda (+, \text{red shift, - blue})$
$ v_i \mbox{line of sight velocity of atom or ion; } c \mbox{speed of light in vacuo} \\ \lambda_0 \mbox{nominal (rest) wave length; } \lambda \mbox{observed wave length} \\ \epsilon = hv = hc/\lambda = 12345 \mbox{ eV}/\lambda[Å] ; 1 \mbox{ eV} = 11604 \mbox{ K} \\ \bullet \mbox{Line broadening (thermal and/or turbulent motions)} $
$T_{eff} = T_i + m_i \xi^2 / (2k_B) = m_i c^2 \{ (\Delta \lambda_D)^2 - (\Delta \lambda_I)^2 \} / (2k_B \lambda^2)$
$\begin{array}{lll} \Delta \lambda_{D} & (\Delta \lambda_{T}) & \text{Doppler (instrumental) width of spectral line;} & T_{i} & \text{ion temperature} \\ \xi & & \text{amplitude of unresolved waves/turbulence;} & m_{i} & \text{ion mass} \\ \text{For optically thin emission and Gaussian line profile;} & \Delta \lambda_{T} \approx 6 \ \text{pm for SUMER} \end{array}$













































