

Babylonian computational astronomy

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Jupiter

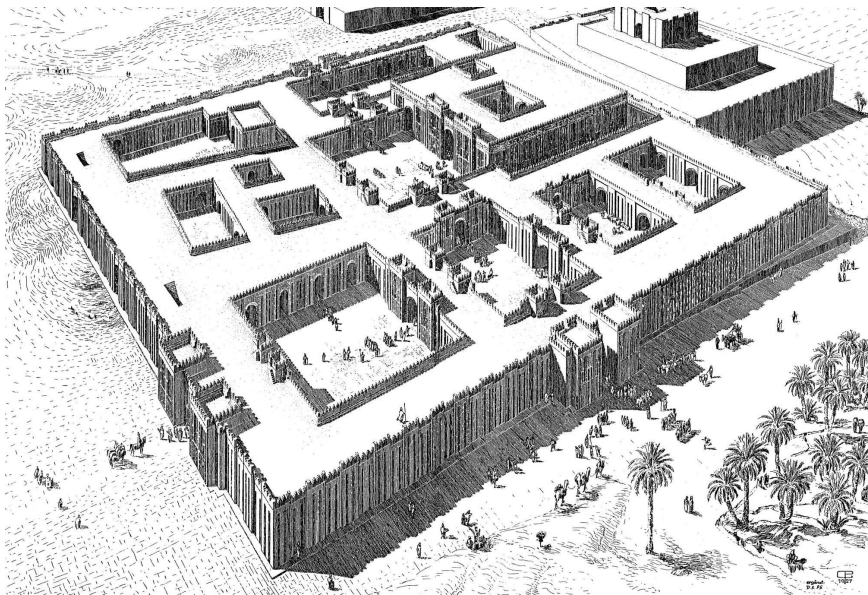
Moon

who were the Babylonian astronomers?

Mesopotamia

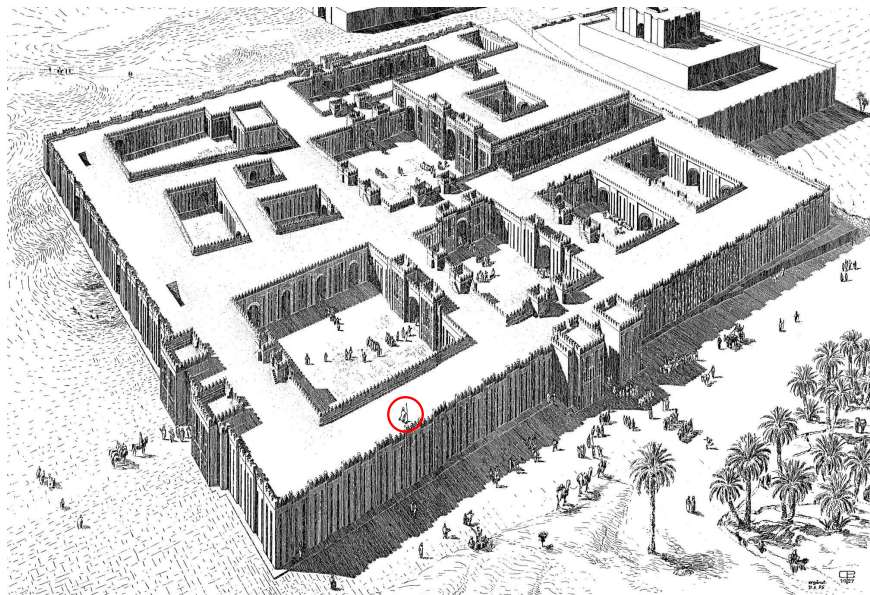


Uruk 192 BC



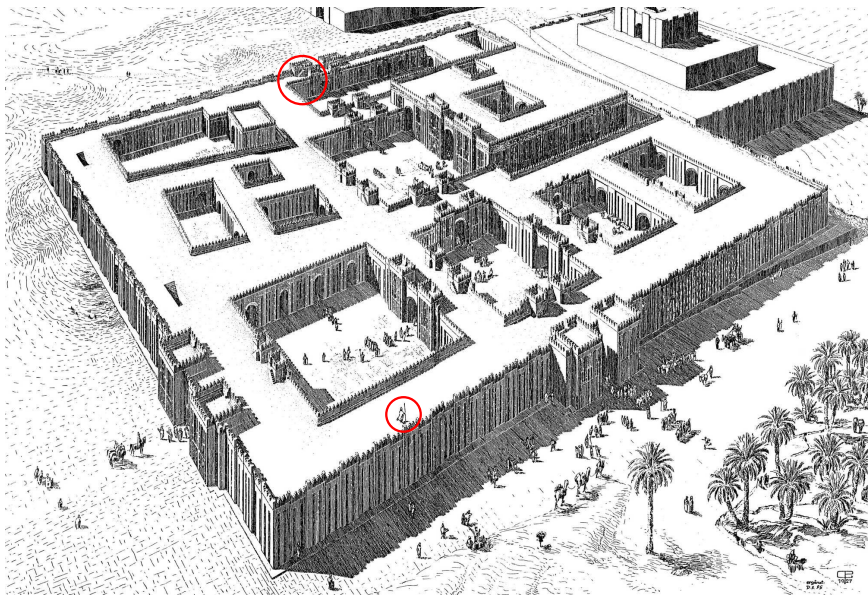
Bit-Rēš, temple of Anu and Antu

Uruk 192 BC



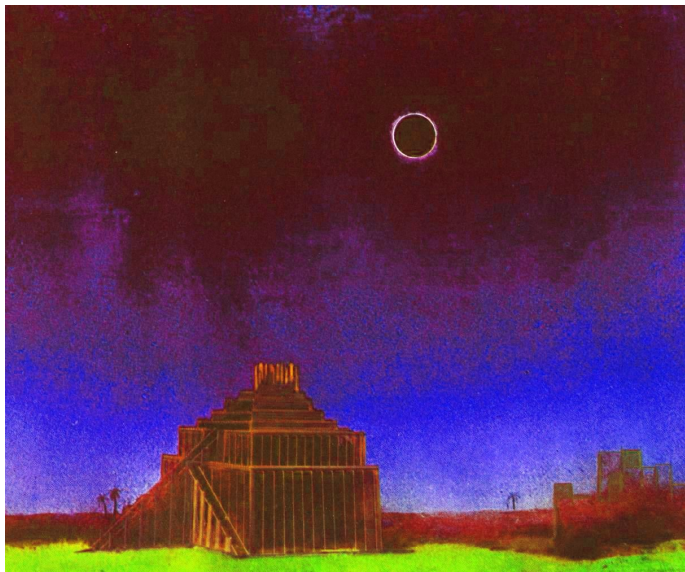
Bit-Rēš, temple of Anu and Antu

Uruk 192 BC



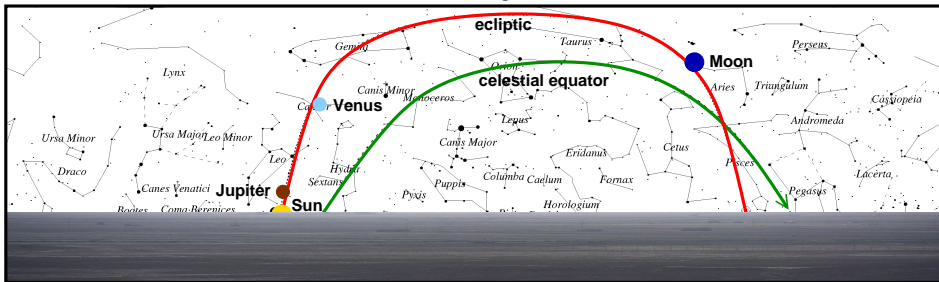
Bit-Rēš, temple of Anu and Antu

ziqqurat



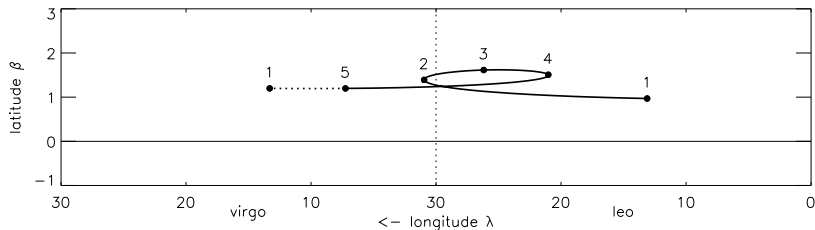
from observation to computational scheme: Jupiter

sunrise Uruk 20 august 192 BC

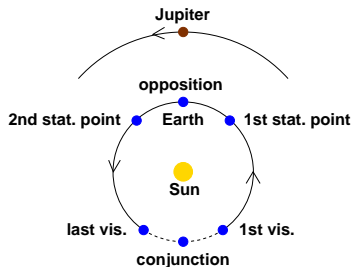


from observation to computational scheme: Jupiter

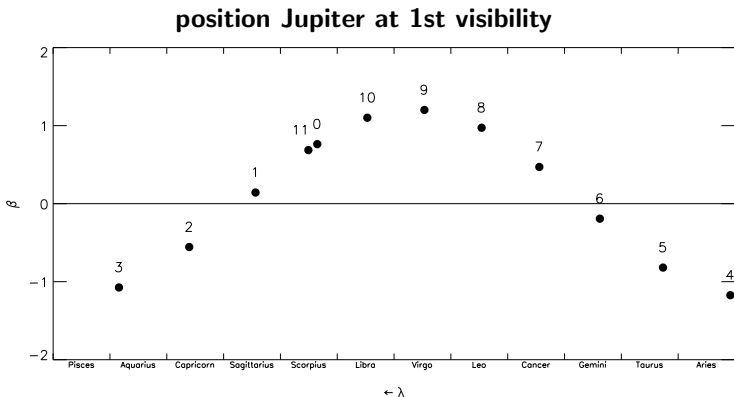
synodic cycle of Jupiter



- | | | |
|---|----------------------|-------|
| 1 | 1st visibility | 125 d |
| 2 | 1st stationary point | 60 d |
| 3 | opposition | 60 d |
| 4 | 2nd stationary point | 125 d |
| 5 | last visibility | 30 d |
| 1 | | 400 d |



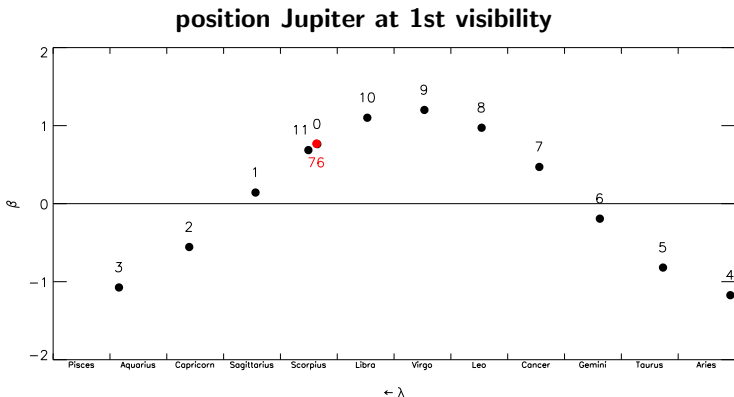
from observation to computational scheme: Jupiter



period relations

- 11 events = 1 revolution = 12 yr

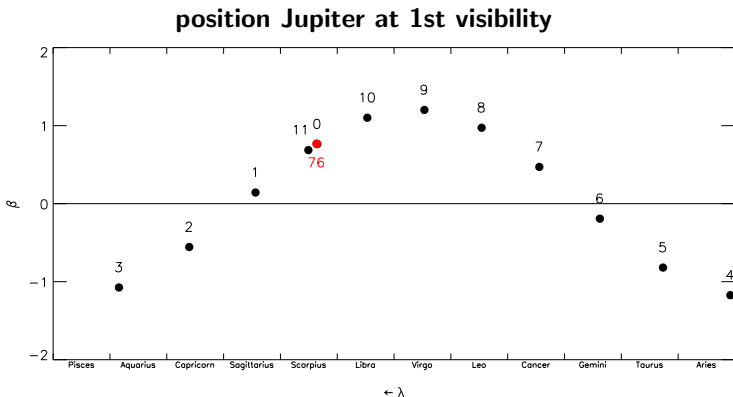
from observation to computational scheme: Jupiter



period relations

- 11 events = 1 revolution = 12 yr
- 76 events = 7 revolutions = 83 yr (Goal-Year texts)

from observation to computational scheme: Jupiter

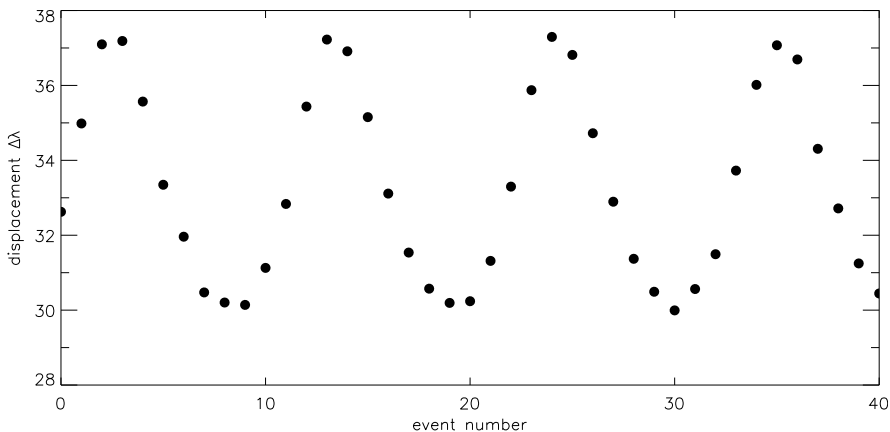


period relations

- 11 events = 1 revolution = 12 yr
- 76 events = 7 revolutions = 83 yr (Goal-Year texts)
- 391 events = 36 revolutions = 427 yr (computational astronomy)

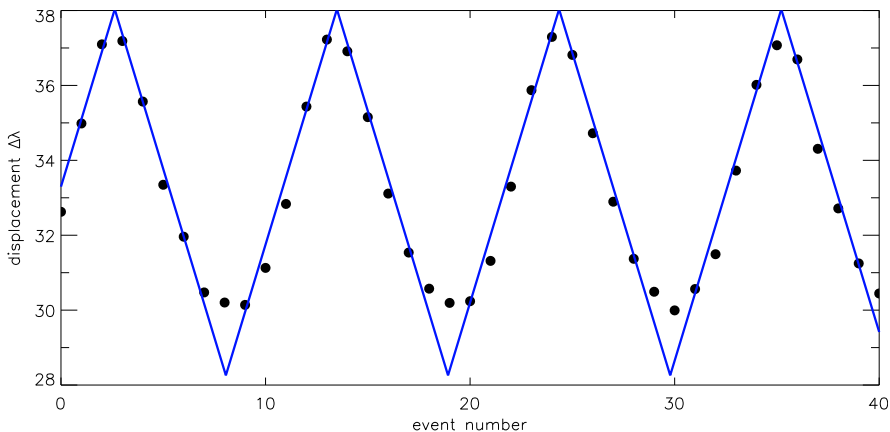
from observation to computational scheme: Jupiter

1st visibility Jupiter: longitudinal displacement $\Delta\lambda$



from observation to computational scheme: Jupiter

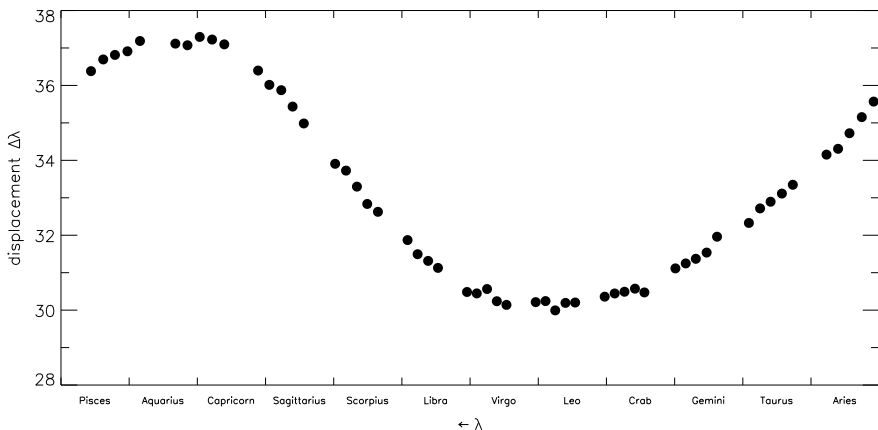
1st visibility Jupiter: longitudinal displacement $\Delta\lambda$



System B: zigzag function

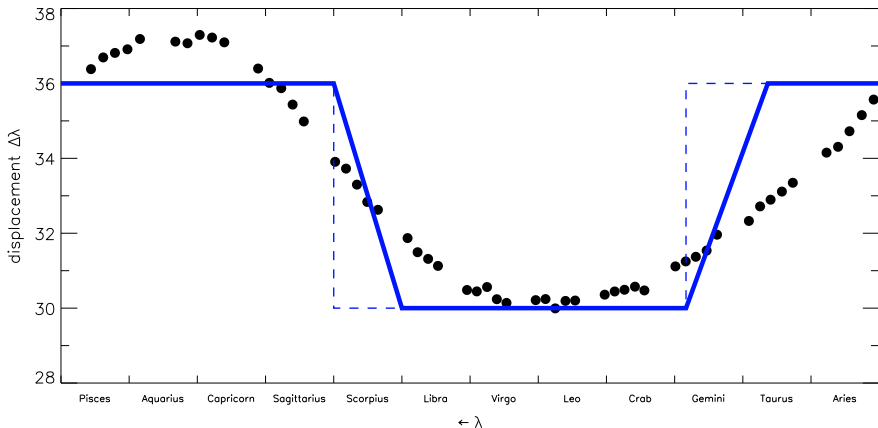
from observation to computational scheme: Jupiter

1st visibility Jupiter: longitudinal displacement $\Delta\lambda$



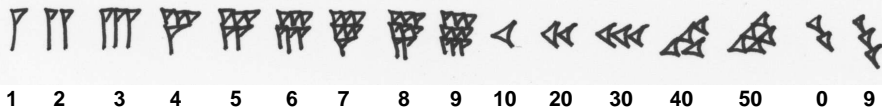
from observation to computational scheme: Jupiter

1st visibility Jupiter: longitudinal displacement $\Delta\lambda$

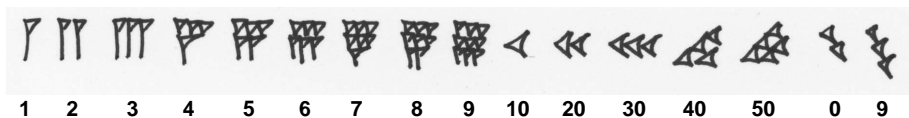


System A: step function

sexagesimal calculus



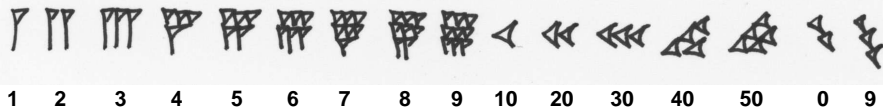
sexagesimal calculus



- positional notation

$$\begin{aligned} 600.1 &= 6 \cdot 10^2 + 0 \cdot 10^1 + 0 \cdot 10^0 + 1 \cdot 10^{-1} && \text{decimal [base number 10]} \\ &= 10 \cdot 60^1 + 0 \cdot 60^0 + 6 \cdot 60^{-1} = 10,0;6 && \text{sexagesimal [base number 60]} \end{aligned}$$

sexagesimal calculus

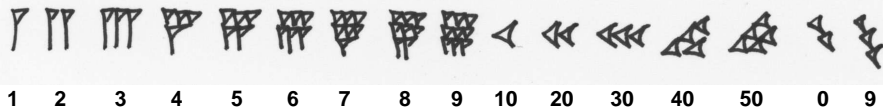


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- in cuneiform: 10.0.6 = relative notation

sexagesimal calculus



- positional notation

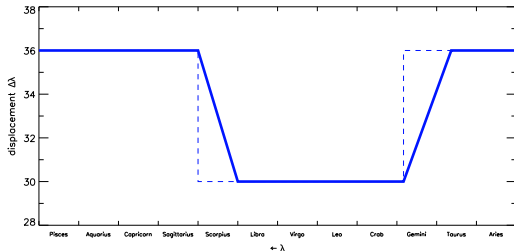
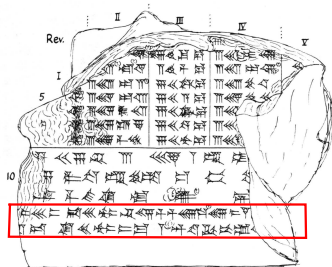
$$\begin{aligned} 600.1 &= 6 \cdot 10^2 + 0 \cdot 10^1 + 0 \cdot 10^0 + 1 \cdot 10^{-1} \quad \text{decimal [base number 10]} \\ &= 10 \cdot 60^1 + 0 \cdot 60^0 + 6 \cdot 60^{-1} = 10,0;6 \quad \text{sexagesimal [base number 60]} \end{aligned}$$

- in cuneiform: $10.0.6 =$ relative notation
- addition: $0;59 + 0;2 = 1;1$
- multiplication: $10,0;6 \times 6 = 1,0,0 + 0 + 0;36 = 1,0,0;36$
- division: $10,0;6 / 3 = 10,0;6 \times 0;20 = 3,20;2$

computational instruction Jupiter System A

BM 34571

Babylon, 2nd c. BC

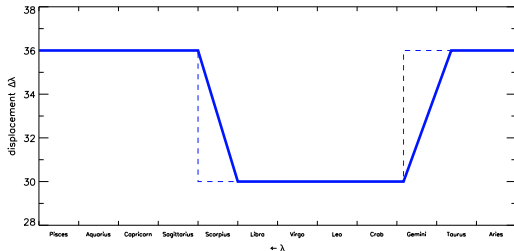
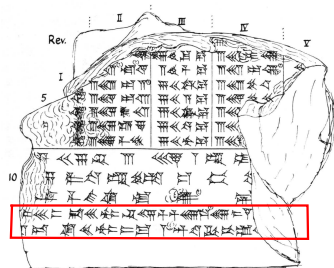


[From 25 Gemini to 30 Scor] plus you add 30; from 30 Scorpius to 25 Gemini you add 36.
Whatever [exceeds 25 Gemini you multiply by 0;50, add to 25 Gemini and put down.
Whatever exceeds 30 Scorpius] you multiply [by 1;1]2, add to 30 Scorpius and put down.

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times: $\Delta t = 12 \text{ m} + \Delta\lambda + 12;5,10 \text{ d}$

Jupiter: synodic table

AO 6476 + U 104

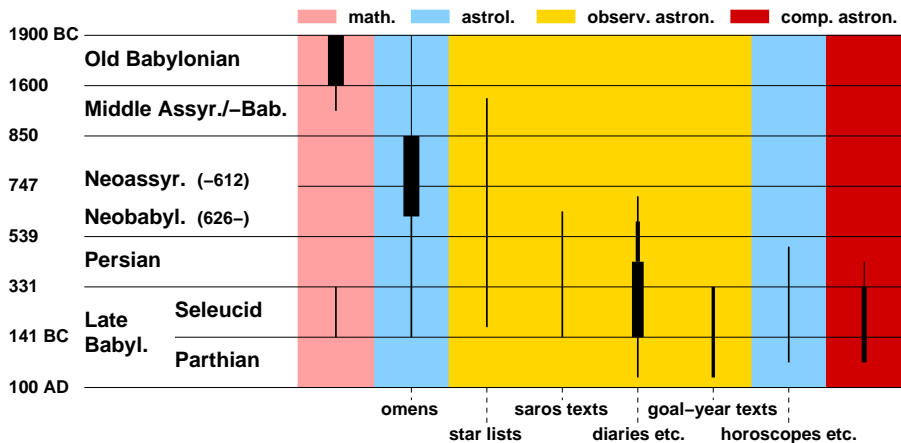
Uruk, written 12 VII 118 SE = 4/5 oct. 194 BC

1st stationary point (System A)

	year SE*	Δt	month	day	λ	zodiacal sign
1	113 (VI ₂)	48;5,10	I	28;41,40	8;6	Capricorn
	114	48;5,10	II	16;46,50	14;6	Aquarius
	115 (XII ₂)	48;5,10	IV	0;4,52	20;6	Pisces
	116	48;5,10	IV	22;57,10	26;6	Aries
5	117	48;5,10	VI	11;2,20	2;6	Gemini
	118 (XII ₂)	45;54,10	VII	26;56,30	5;55	Cancer
	119	42;5,10	VIII	9;1,40	5;55	Leo
	120	42;5,10	IX	21;6,50	5;55	Virgo
	121 (XII ₂)	42;5,10	XI	3;12	5;55	Libra
10	122	42;5,10	XI	15;17,10	5;55	Scorpius
	123 (XII ₂)	43;16,10	XII	28;33,20	7;6	Sagittarius
	125	48;5,10	I	16;38,30	13;6	Capricorn
	126 (XII ₂)	48;5,10	III	4;43,40	19;6	Aquarius

* Seleucid Era; 1 I SE 1 = 2/3 april 311 BC

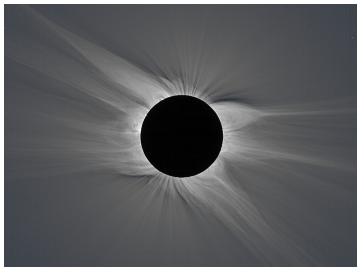
astronomical, astrological and mathem. text groups



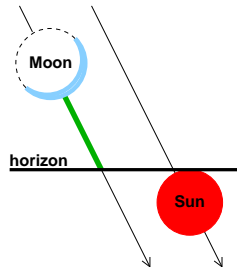
Moon



lunations

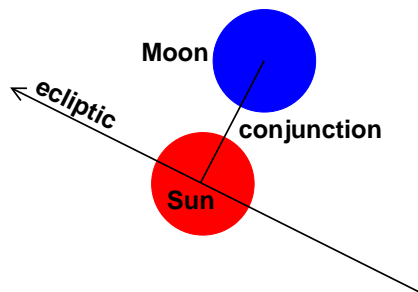


eclipses

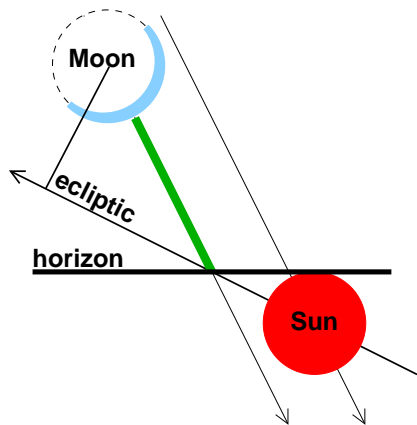
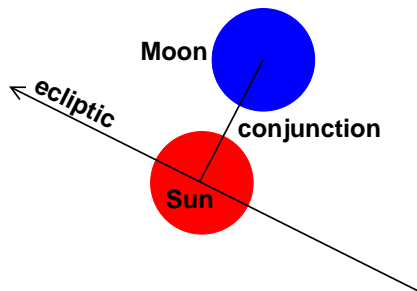


1st visibility

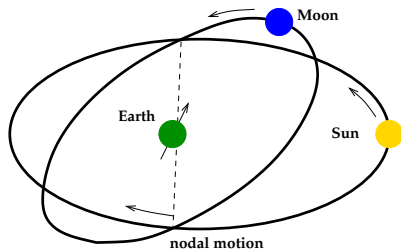
Moon: conjunctions, 1st visibility



Moon: conjunctions, 1st visibility

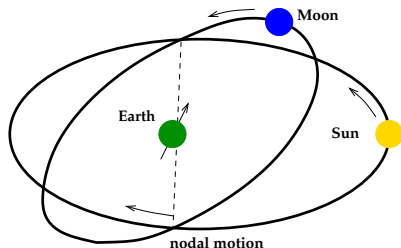


Moon: period relations



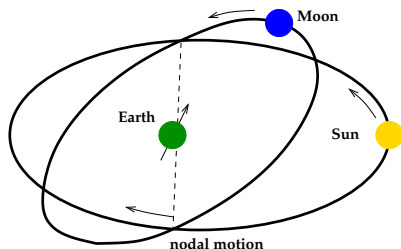
- lunar anomaly: $m_{\text{anomalistic}} = 27.56 \text{ d}$
- solar anomaly: $1 \text{ yr} = 365.25 \text{ d}$
- nodal motion: $1 \text{ revolution} = 18.60 \text{ yr}$; $\bar{m}_{\text{draconitic}} = 27.21 \text{ d}$

Moon: period relations



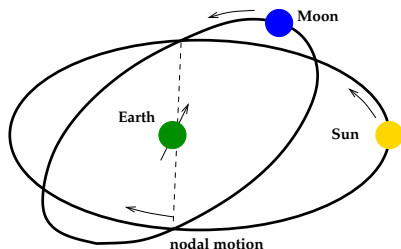
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- time between successive lunations $\equiv m_{\text{synodic}}$; $\bar{m}_{\text{synodic}} = 29.53 \text{ d}$

Moon: period relations



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- $1 \text{ Saros} \equiv 223 \text{ synodic } m \approx 239 m_{\text{anomalistic}} \approx 242 \bar{m}_{\text{draconitic}}$
 $1 \text{ Saros} \approx 6585 \frac{1}{3} \text{ d} \approx 18 \text{ yr} + 11 \text{ d}$

Moon: period relations

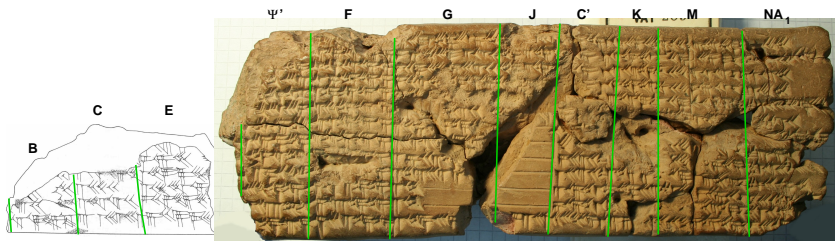


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- computational astronomy (System A): $6247 \text{ synodic m} = 6695 m_{\text{anomalistic}}$

Moon System A: synodic table

VAT 209 + MMA 86.11.405

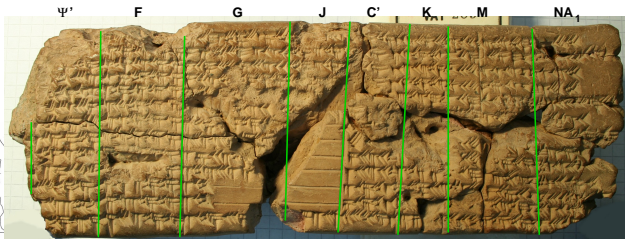
49/48 BC Babylon



Moon System A: synodic table

VAT 209 + MMA 86.11.405

49/48 BC Babylon

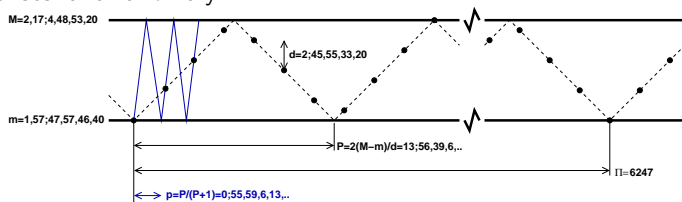


	T	Φ	B	C	E	Ψ'	F	G	J	C'	K	M	NA ₁						
1	4,22	12,2	2,5;9,4,26,40	22,41,15	Ari	3,8;27,30	-5,54;29,15 ↓	-1,51;33,45	13,8;23,26,15	3,37;1,58,31,6,40	-52,7,1,30	-9,25,45	2,35;29	12,2	29	3,32;57	1	1	19;20
2	4,23	1	2,3;13,8,53,20	20;48,45	Tau	3,24;19,30	-6,30;45,3 ↑	-1,28;51,1	12,26;23,26,15	4,2;50,37,2,13,20	-57,3,45	-7,56	2,57;50	1	29	35,7	2	30	13;30 xxx
3	2	2,0;27,13,20	18;56,15	Gem	3,33;11,30	-4,31;59,21 ↑	-9,15;47	11,44;23,26,15	4,28;39,15,33,20	-57,3,45	-4,26	3,23;54	2	29	3,11;13	3	1	12;50	
4	3	1,57;54,37,46,40	17;3,45	Can	3,35;3,30	-2,33;13,39	-9,40;33	11,5;45,56,15	4,52;51,47,24,26,40	-57,3,45	-0,56	4,54;52	3	29	4,16;21	4	1	19;50	
5	4	2,0;40,33,20	15;11,15	Leo	3,29;55,30	1,15;4,6 ↑	29,54,41	11,47;45,56,15	4,49;17,54,4,26,40	-57,3,45	2,34	3,52;17	4	28	24,4	5	1	20;30 8;29 xx	
6	5	2,3;26,28,53,20	13;	Vir	3,17;46,40	3,48;22,45 ↑	1,9;31,35	12,29;45,56,15	4,23;48,53,20	6,4;25	3,33;27	5	28	2,50;37	6	30	13;20		
7	6	2,6;12,24,26,40	13;20	Lib	2,57;46,40	5,54;38,27 ↑	1,51;56,49	13,11;45,56,15	3,58;0,14,48,53,20	0	10	4,8	6	x	4,42;37	7	30	x;50	
8	7	2,8;58,20	13;20	Sco	2,38;40	6,23;5,51 ↓	1,26;17,57	13,53;45,56,15	3,32;11,36,17,46,40	0	9,33;20	3,41;44	7	29	1,0;53	8	1	15;10 x	
9	8	2,11;44,15,33,20	13;20	Sag	2,27;33,20	4,16;50,9 ↓	44,12,43	14,35;45,56,15	3,6;22,57,46,40	0	5,33;20	3,11;56	8	29	3,48;57	9	1	22;30 30 x	
10	9	2,14;30,11,6,40	13;20	Cap	2,24;26,40	1,57;8,54 ↓	2,7;29	15,17;45,56,15	2,43;32,2,13,20	0	1,33;20	2,45;5	9	28	1,3;52	10	30	16;40	
11	10	2,16;53,31,6,40	13;20	Aqu	2,29;20	-2,15;22,30	-39,57,45	15,54;2,48,45	2,40	0	-2,26,40	2,37;33	10	[x]	4,26;19	11	30	10 x	
12	11	2,14;7,35,33,20	13;20	Pis	2,42;13,20	-4,25;56,57 ↓	-1,22;2,59	15,12;2,48,45	2,40	0	-6,26,40	2,33;33	11	29	1,52;46	12	1	20;10 x	
13	12	2,11;21,40	12;18,45	Ari	3,1;32,30	-6,28;7,39 ↓	-1,57;13,27	14,30;2,48,45	2,47;35	-31;4,2,30	-9,39,35	2,6;51	12	29	5,45;55	1	30	14 [x]	

columns T , Φ , F

$T = \text{date} [\text{year SE}, \text{month}]$

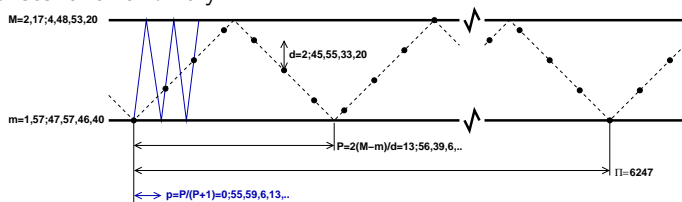
Φ parametrises lunar anomaly



columns T , Φ , F

T = date [year SE, month]

Φ parametrises lunar anomaly

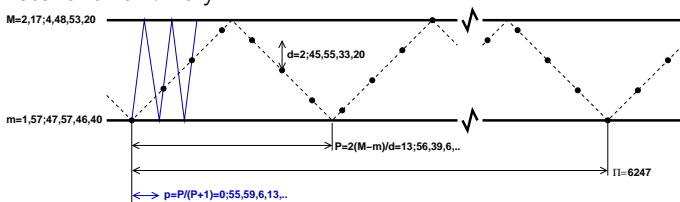


Φ = duration of Saros – 6585 days under assumption of constant solar velocity [°]

columns T , Φ , F

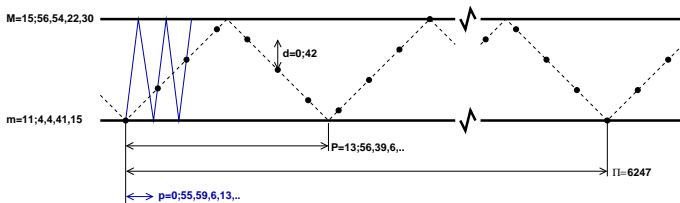
T = date [year SE, month]

Φ parametrises lunar anomaly



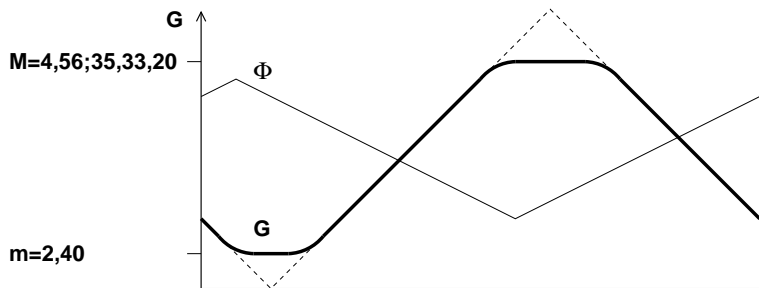
Φ = duration of Saros – 6585 days under assumption of constant solar velocity [$^{\circ}$]

F = lunar velocity along ecliptic [$^{\circ} d^{-1}$]



column G

G = synodic month – 29 d under assumption of constant solar velocity [$^{\circ}$]



column B

B = ecliptical longitude of Moon (and Sun) [zodiacal sign; °] under assumption of constant lunar velocity

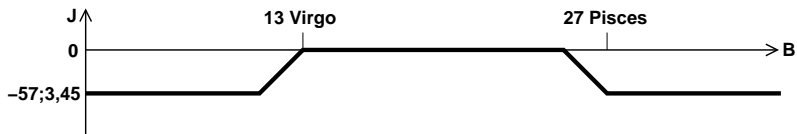
$$B_i = B_{i-1} + \Delta B(B_{i-1})$$



column J

J = correction to synodic month due to variable solar velocity [°]

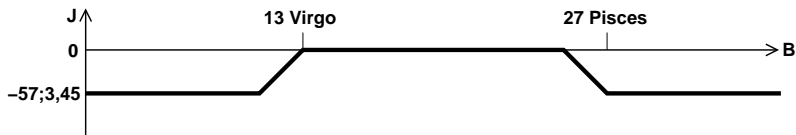
$$J_i = J(B_i)$$



column J

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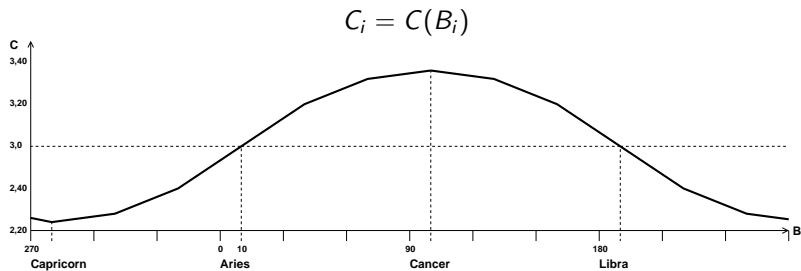
$$J_i = J(B_i)$$



$G + J$ = synodic month - 29 d [°]

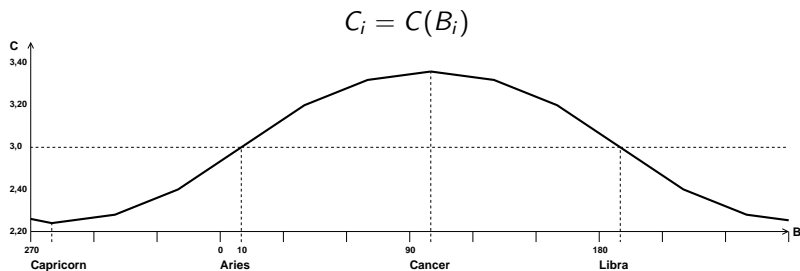
columns C,C'

C = length of daylight [°]



columns C,C'

C = length of daylight [°]



C' = correction to time of conjunction due to changing length of daylight [°]

$$C'_i = -(C_i - C_{i-1})/2$$

columns K,M

K = change of time of conjunction w.r.t. sunset [$^{\circ}$].

$$K_i = G_i + J_i + C'_i$$

columns K,M

K = change of time of conjunction w.r.t. sunset [$^{\circ}$].

$$K_i = G_i + J_i + C'_i$$

M = time of conjunction w.r.t. sunset [$^{\circ}$ before sunset]

$$M_i = M_{i-1} - K_i$$

if $K_i > M_{i-1}$ add $6,0^{\circ}$ to M_{i-1} and 1 day to date

if $M_i > 6,0^{\circ}$ subtract $6,0^{\circ}$ from M_i and 1 day from date

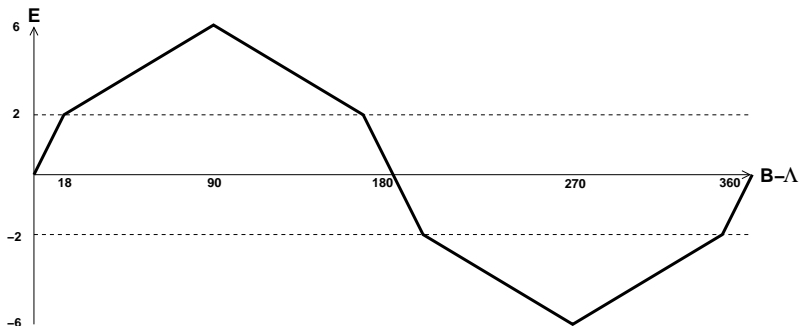
column E

E = lunar latitude [$^{\circ}$]

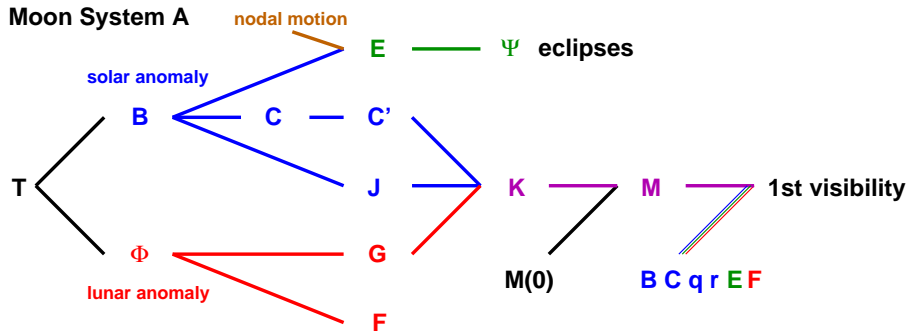
$$E_i = E(B_i - \Lambda_i)$$

Λ = longitude of ascending node [$^{\circ}$]

$$\Lambda_i = \Lambda_{i-1} - 1; 33, 55, 30^{\circ}$$



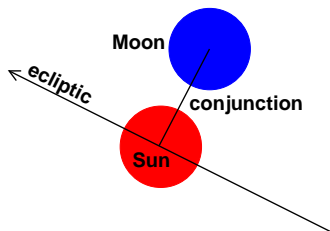
Moon System A: flow chart



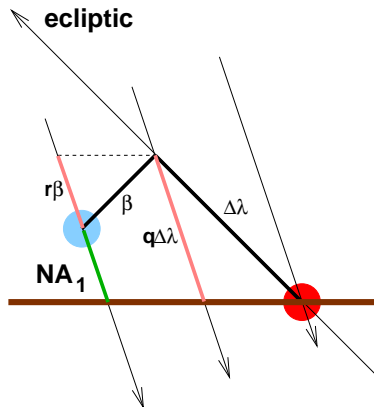
1st visibility

NA_1 = time between sunset after conjunction and moonset [°]

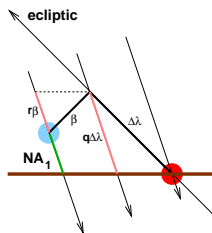
conjunction



sunset after conjunction

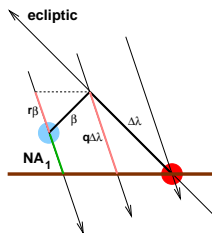


1st visibility



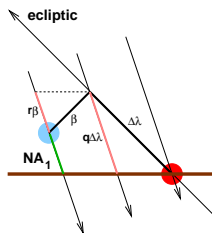
1 $M =$ time from conjunction to sunset [$^\circ$]

1st visibility



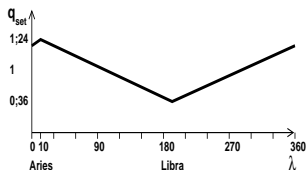
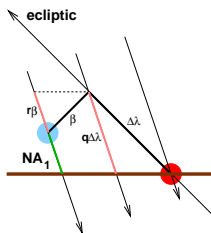
- 1 $M =$ time from conjunction to sunset $[\text{°}]$
- 2 lunar longitude at sunset: $\lambda_{\text{moon}} = B + F \cdot M$
solar longitude at sunset: $\lambda_{\text{sun}} = B + 1 \cdot M$

1st visibility



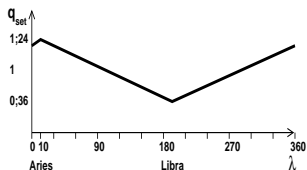
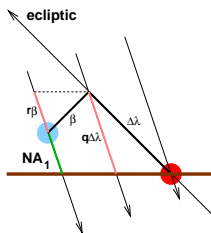
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solar longitude at sunset: $\lambda_{\text{sun}} = B + 1 \cdot M$
- 3 lunar elongation at sunset: $\Delta\lambda = \lambda_{\text{moon}} - \lambda_{\text{sun}}$

1st visibility



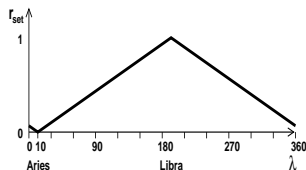
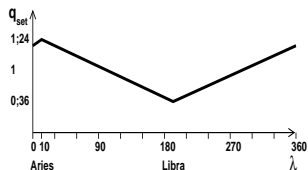
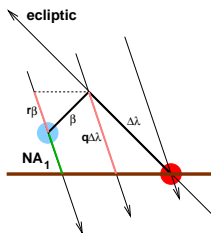
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- 3 lunar elongation at sunset: $\Delta\lambda = \lambda_{\text{moon}} - \lambda_{\text{sun}}$
- 4 contribution to NA_1 due to elongation: $q_{\text{set}}(\lambda_{\text{sun}}) \cdot \Delta\lambda$

1st visibility



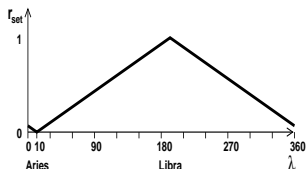
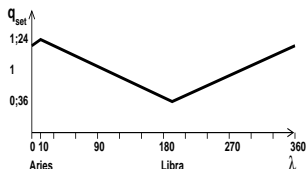
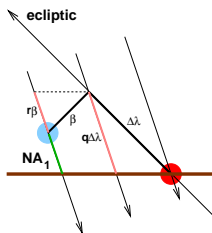
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- 3 lunar elongation at sunset: $\Delta\lambda = \lambda_{\text{moon}} - \lambda_{\text{sun}}$
- 4 contribution to NA_1 due to elongation: $q_{\text{set}}(\lambda_{\text{sun}}) \cdot \Delta\lambda$
- 5 lunar latitude at sunset: $\beta = E \pm 0,4 F \cdot M$

1st visibility



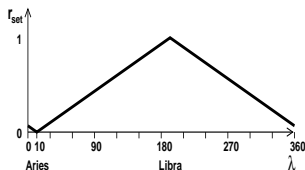
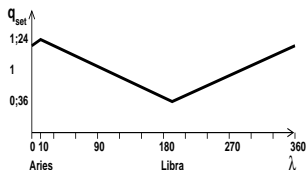
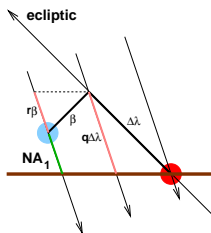
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- 4 contribution to NA_1 due to elongation: $q_{\text{set}}(\lambda_{\text{sun}}) \cdot \Delta\lambda$
- 5 lunar latitude at sunset: $\beta = E \pm 0,4 F \cdot M$
- 6 contribution to NA_1 due to lunar latitude: $r_{\text{set}}(\lambda_{\text{sun}}) \cdot \beta$

1st visibility



- 1 $M =$ time from conjunction to sunset [°]
- 2 lunar longitude at sunset: $\lambda_{\text{moon}} = B + F \cdot M$
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- 6 contribution to NA_1 due to lunar latitude: $r_{\text{set}}(\lambda_{\text{sun}}) \cdot \beta$
- 7 $NA_1 = q_{\text{set}} \cdot \Delta\lambda \pm r_{\text{set}} \cdot \beta$

1st visibility

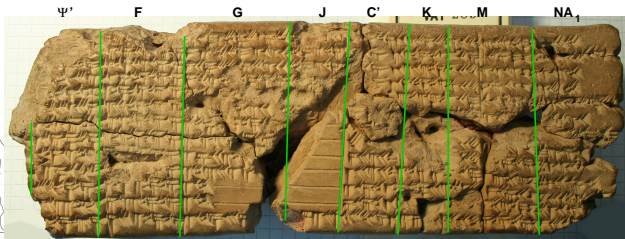


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- 6 contribution to NA_1 due to lunar latitude: $r_{\text{set}}(\lambda_{\text{sun}}) \cdot \beta$
- 7 $NA_1 = q_{\text{set}} \cdot \Delta\lambda \pm r_{\text{set}} \cdot \beta$
- 8 if NA_1 insufficient repeat 1-7 for next sunset (add $6,0^\circ$ to M)

Moon System A: synodic table

VAT 209 + MMA 86.11.405

49/48 BC Babylon



	T	φ	B	C	E	Ψ'	F	G	J	C'	K	M	NA ₁						
1	4,22	12,2	2,5,59,4,26,40	22,41,15	Ari	3,8,27,30	-5,54,29,15 ↓	-1,51,33,45	13,8,23,26,15	3,37,1,58,31,6,40	-52,7,1,30	-9,25,45	2,35,29	12,2	29	3,32,57	1	1	19,20
2	4,23	1	2,3,13,8,53,20	20,48,45	Tau	3,24,19,30	-6,30,45,31 ↓	-1,28,51,1	12,26,23,26,15	4,2,50,37,2,13,20	-57,3,45	-7,56	2,57,50	1	29	35,7	2	30	13,30 xxx
3	2	2,0,27,13,20	18,56,15	Gem	3,33,11,30	-4,31,59,21 ↓	-49,15,47	11,44,23,26,15	4,28,39,15,33,20	-57,3,45	-4,26	3,23,54	2	29	3,11,13	3	1	12,50	
4	3	1,57,54,37,46,40	17,3,45	Can	3,35,3,30	-2,33,13,39 ↓	-9,40,33	11,5,45,56,15	4,52,51,47,24,26,40	-57,3,45	-0,56	4,54,52	3	29	4,16,21	4	1	19,50	
5	4	2,0,40,33,20	15,11,15	Leo	3,29,55,30	1,15,4,6 ↑	29,54,41	11,47,45,56,15	4,49,17,54,4,26,40	-57,3,45	2,34	3,52,17	4	28	24,4	5	1	20:30 30 8,29 xx	
6	5	2,3,26,28,53,20	13;	Vir	3,17,46,40	3,48,22,45 ↑	1,9,31,35	12,29,45,56,15	4,23,48,53,20	-56,25,42,30	6,4,25	3,33,27	5	28	2,50,37	6	30	13,20	
7	6	2,6,12,24,26,40	13,20	Lib	2,57,46,40	5,54,38,27 ↑	1,51,36,49	13,11,45,56,15	3,58,0,14,48,53,20	0	10	4,8	6	x	4,42,37	7	30	x,50	
8	7	2,8,58,20	13,20	Scor	2,38,40	6,23,5,51 ↓	1,26,17,57	13,53,45,56,15	3,32,11,36,17,46,40	0	9,33,20	3,41,44	7	29	1,0,5,3	8	1	15,10 x	
9	8	2,11,44,15,33,20	13,20	Sag	2,27,33,20	4,16,50,9 ↓	44,12,43	14,35,45,56,15	3,6,22,57,46,40	0	5,33,20	3,11,56	8	29	3,48,57	9	1	22:30 30 x	
10	9	2,14,30,11,6,40	13,20	Cap	2,24,26,40	1,57,8,54 ↓	2,7,29	15,17,45,56,15	2,43,32,2,13,20	0	1,33,20	2,45,5	9	28	1,3,52	10	30	16,40	
11	10	2,16,53,31,6,40	13,20	Aqu	2,29,20	-2,15,22,30	-39,57,45	15,54,2,48,45	2,40	0	-2,26,40	2,37,33	10	[x]	4,26,19	11	30	10 x	
12	11	2,14,7,35,33,20	13,20	Pis	2,42,13,20	-4,25,56,57 ↓	-1,22,2,59	15,12,2,48,45	2,40	0	-6,26,40	2,33,33	11	29	1,52,46	12	1	20:10 x	
13	12	2,11,21,40	12,18,45	Ari	3,1,32,30	-6,28,7,39 ↓	-1,57,13,27	14,30,2,48,45	2,47,35	-31,4,2,30	-9,39,35	2,6,51	12	29	5,45,55	1	30	14 [x]	

who were the Babylonian astronomers?

colofons

AO 6476 + U 104 (Uruk 194 BC)

'Tablet of Šamaš-ēṭir, son of Ina-qibīt-Anu, son of Šipqat-Anu, descendant of Ekur-zākir... Hand of Anu-aba-utēr, son of **Anu-bēlšunu**, descendant of Sin-lēqi-unninni, lamentation priest of Anu and Antu, from Uruk.'

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pioneers



'[...computed tab]le of Nabû-rēmānu...'

VAT 209 + MMA 86.11.405 (Babylon 48 BC)

- Nabû-rēmānu = author of System A? (= Strabo's Naburianos)
- Kidinnu = author of System B? (= Strabo's Kidenas)

who were the Babylonian astronomers?

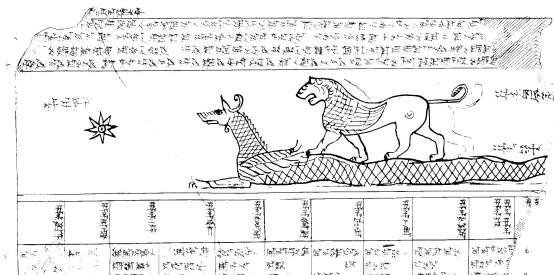
duties

BM 35559 (protocol of Esagila temple council, Babylon 118 BC)

'We have witnessed ourselves that he is capable of carrying out the observations... We shall pay him yearly in silver for carrying out the observations and delivering the tables and the measurements...'

astrological text

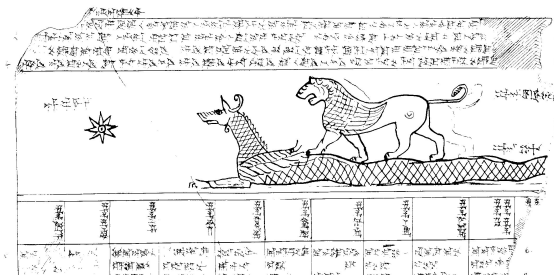
VAT 7847 (Uruk)



'Tablet of **Anu-bēlišunu**, lamentation priest of Anu

astrological text

VAT 7847 (Uruk)



stamp seal

MLC 2170 (Uruk)

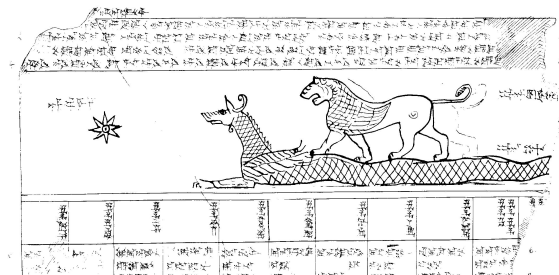


'Tablet of **Anu-bēlišunu**, lamentation priest of Anu' 'Seal of **Anu-bēlišunu**'

Anu-bēlšunu

astrological text

VAT 7847 (Uruk)



stamp seal

MLC 2170 (Uruk)



'Tablet of **Anu-bēlšunu**, lamentation priest of Anu' 'Seal of **Anu-bēlšunu**'

horoscope

NCBT 1231 (Uruk)

In the year 63 SE, month 10, night of day 2 (30/12/249 BC) **Anu-bēlšunu** was born. On that day the Sun was in 9;30 Capricorn, the Moon in 12 Aquarius: his days will be long.'

summary and outlook

Late Babylonian computational astronomy

- end point of long preoccupation with celestial phenomena
- quite sophisticated predictive computational schemes
 - introduction of zodiak
 - principle of decomposition
- no formulation of principles, assumptions
- no evidence of 'physical', cosmological concepts
- development of abstract mathematical representation

open questions

- origin (e.g. Φ)
- relation to other astronomical text groups
- goal; organisation